



Fiber optics parametric amplifiers and their applications for signal regeneration

Francesco Da Ros

High-Speed Optical Communications group
DTU Fotonik, Department of Photonics Engineering,
Technical University of Denmark, Building 343,
2800 Lyngby, Denmark

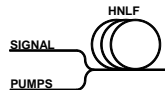
fdro@fotonik.dtu.dk

25th August 2012

Motivation

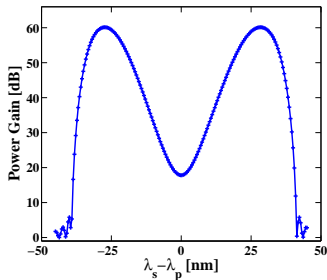
Fiber optics parametric amplifiers:

- ▶ High flat gain over a wide bandwidth at arbitrary wavelengths
- ▶ Low noise figure



Furthermore

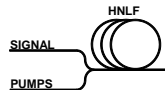
- ▶ Optical signal processing
 - Wavelength conversion
 - Optical sampling
 - Multicasting
 - Signal Regeneration



Motivation

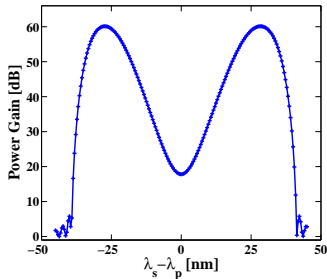
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- ▶ Optical signal processing
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 - **Signal Regeneration**



Outline

Introduction

Saturation effects

Amplitude regeneration

Phase sensitive amplification

Phase regeneration

Saturated phase sensitive amplification

Advanced modulation formats regeneration

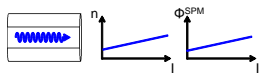
Conclusions

Kerr Nonlinearities

$$n = n_0 + n_2 I$$

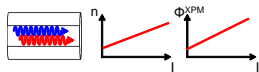
- ▶ Self-Phase Modulation

$$\Rightarrow \frac{dA_1}{dz} \propto i\gamma |A_1|^2 A_1$$



- ▶ Cross-Phase Modulation

$$\Rightarrow \frac{dA_1}{dz} \propto 2i\gamma |A_2|^2 A_1$$



- ▶ Four-wave Mixing

$$\Rightarrow \frac{dA_4}{dz} \propto 2i\gamma A_1 A_2 A_3^*$$



$$\text{Energy conservation} \quad \Rightarrow \quad \omega_4 = \omega_1 + \omega_2 - \omega_3$$

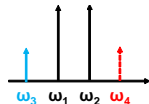
$$\text{Momentum conservation} \quad \Rightarrow \quad \beta^{(4)} = \beta^{(1)} + \beta^{(2)} - \beta^{(3)}$$

Parametric Processes

Four-wave model:

$$\frac{dA_i}{dz} = i\gamma \left[\underbrace{|A_i|^2 A_i}_{SPM} + 2 \underbrace{\sum_{l \neq i} |A_l|^2 A_i}_{XPM} + 2 \underbrace{A_m A_n A_o^* e^{-i\epsilon \Delta\beta z}}_{FWM} \right].$$

- $\Delta\beta = \beta^{(4)} + \beta^{(3)} - \beta^{(2)} - \beta^{(1)}$
- $\epsilon = 1$, if $i = 1$ or 2 then $o = 3 - i$, $m = 3$, $n = 4$;
- $\epsilon = -1$, if $i = 3$ or 4 then $o = 7 - i$, $m = 1$, $n = 2$.



Phase-Matching Condition:

$$\text{Phase mismatch } \kappa = \Delta\beta + \Delta\beta_{NL}$$

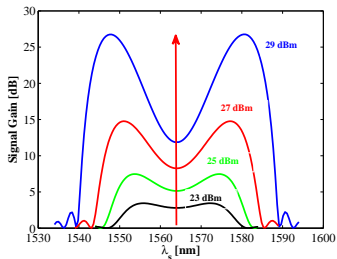
$$\Downarrow$$

Linear and nonlinear mismatch cancels out

$$\Delta\beta_{NL} \approx \gamma P_1 P_2 \Rightarrow \Delta\beta < 0$$

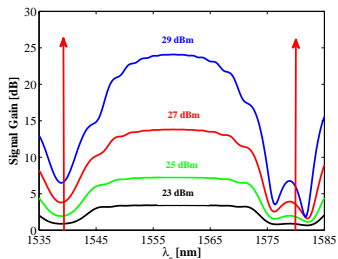
Fiber Optics Parametric Amplifiers

Single Pump



- ▶ Wide but un-uniform gain
- ▶ $\lambda_p \approx \lambda_0$

Dual Pump



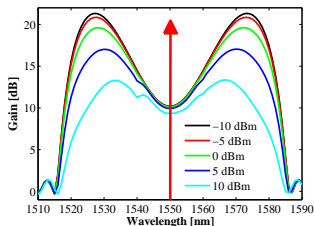
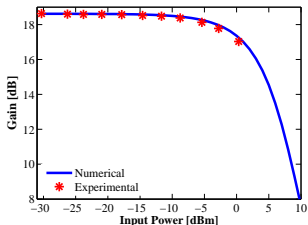
- ▶ Flat gain
- ▶ $\lambda_0 \approx (\lambda_{p1} + \lambda_{p2})/2$
- ▶ Lower power/pump

Saturation effects

In the unsaturated regime with perfect phase matching $\Delta\beta = -2\gamma P_T$

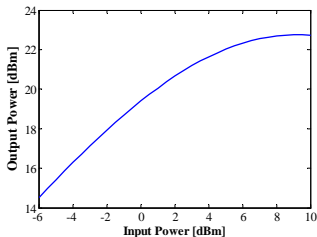
$$G_{max} = \frac{1}{4} \exp(2\gamma P_T L)$$

Signal power increases \Rightarrow Pumps get depleted \Rightarrow Gain decreases



Saturation Regime

Amplitude Regeneration

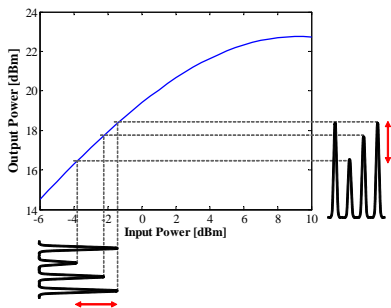


Signal power increases

⇒ Pumps get depleted

⇒ Gain decreases

Amplitude Regeneration



Signal power increases

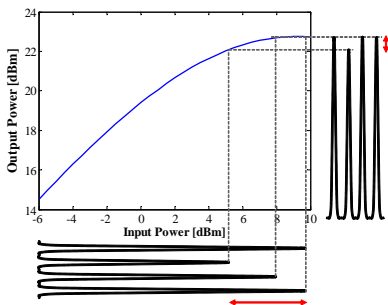
⇒ Pumps get depleted

⇒ Gain decreases

Unsaturated Regime

- High amplification

Amplitude Regeneration



Signal power increases

⇒ Pumps get depleted

⇒ Gain decreases

Unsaturated Regime

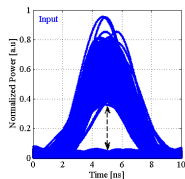
- High amplification

Saturation Regime

- Lower amplification
- Remove amplitude fluctuations

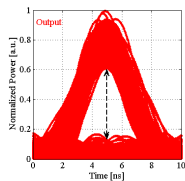
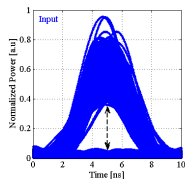
Regeneration of Modulated Signals

On-Off Keying



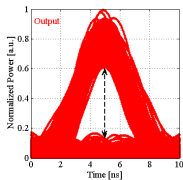
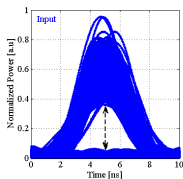
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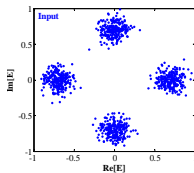


Regeneration of Modulated Signals

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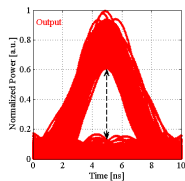
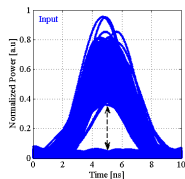


Quadrature Phase Shift Keying

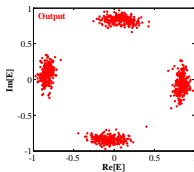
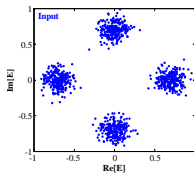


Regeneration of Modulated Signals

On-Off Keying

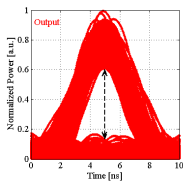
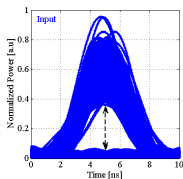


Quadrature Phase Shift Keying

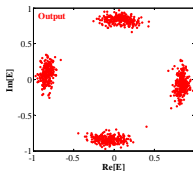
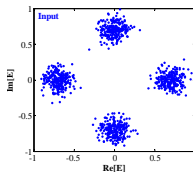


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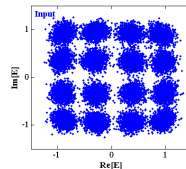
On-Off Keying



Quadrature Phase Shift Keying

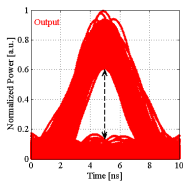
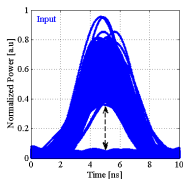


Quadrature Amplitude Modulation

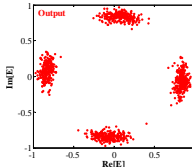
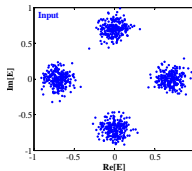


Regeneration of Modulated Signals

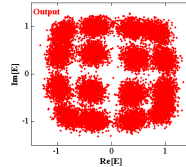
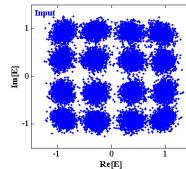
On-Off Keying



Quadrature Phase Shift Keying

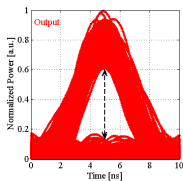
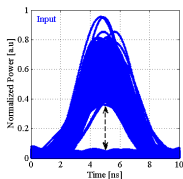


Quadrature Amplitude Modulation

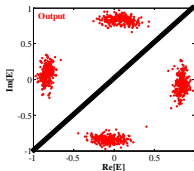
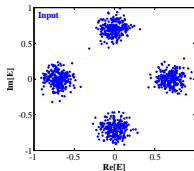


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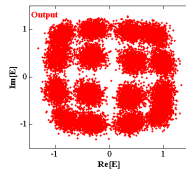
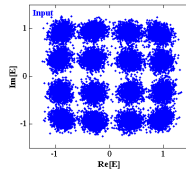
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Quadrature Phase Shift Keying

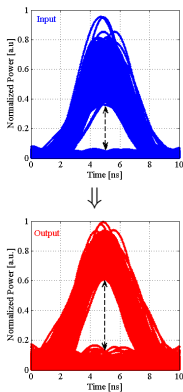


Quadrature Amplitude Modulation

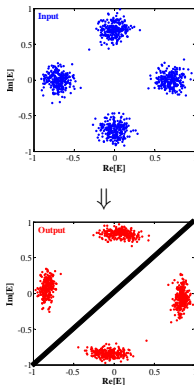


Regeneration of Modulated Signals

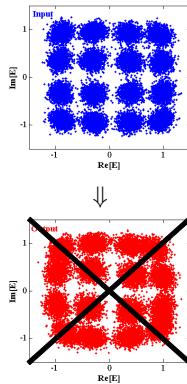
On-Off Keying



Quadrature Phase Shift Keying



Quadrature Amplitude Modulation



Phase Sensitive and Insensitive Amplification

Assuming undepleted pumps and $\Delta\beta = 0$:

$$\begin{pmatrix} A_S(L) \\ A_I^*(L) \end{pmatrix} = \begin{pmatrix} \cosh(\gamma L_{\text{eff}} P_T) & i \sinh(\gamma L_{\text{eff}} P_T) \\ -i \sinh(\gamma L_{\text{eff}} P_T) & \cosh(\gamma L_{\text{eff}} P_T) \end{pmatrix} \begin{pmatrix} A_S(0) \\ A_I^*(0) \end{pmatrix}$$

Signal, pumps and idler in input

$$G_S = 1 + 2 \sinh^2(\gamma L_{\text{eff}} P_T) - 2 \sinh(\gamma L_{\text{eff}} P_T) \cosh(\gamma L_{\text{eff}} P_T) \sin(\theta)$$

with $\theta = \Phi_I + \Phi_S - \Phi_{P1} - \Phi_{P2}$.

Phase Sensitive Amplification

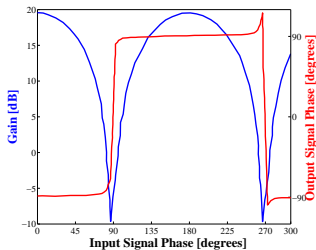
Signal and pumps in input

$$G_S = 1 + \sinh^2(\gamma L_{\text{eff}} P_T)$$

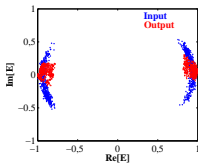
Phase Insensitive Amplification

Phase Regeneration

- ▶ Both signal and idler in input
 - ⇒ $G_S \propto \sin(\Phi_I + \Phi_S - \Phi_{P1} - \Phi_{P2})$
- ▶ Degenerate signal-idler scheme
 - ⇒ $G_S \propto \sin(2\Phi_S - \Phi_{P1} - \Phi_{P2})$

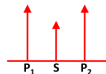
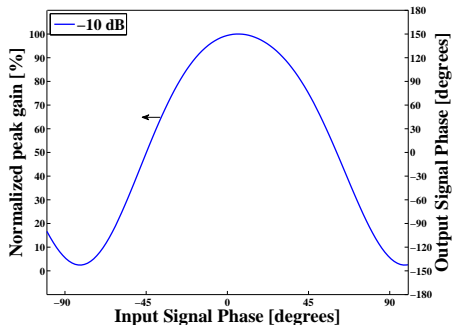


180°-periodicity for phase regeneration



Saturation in Phase Sensitive Amplifiers

Dual-Pump degenerate scheme



Varying the signal-to-pump ratio:

- Gain peaks separated by 90°
- BUT
- No effects on the phase

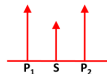
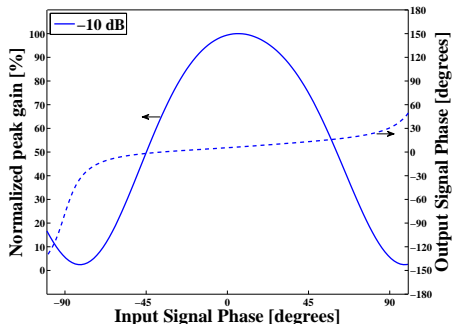
NEVERTHELESS

A 180° relative phase shift between the pumps shifts gain and phase profiles

J. Kakande, et al., *ECOC* (2010), Th10C2.

Saturation in Phase Sensitive Amplifiers

Dual-Pump degenerate scheme



Varying the signal-to-pump ratio:

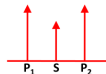
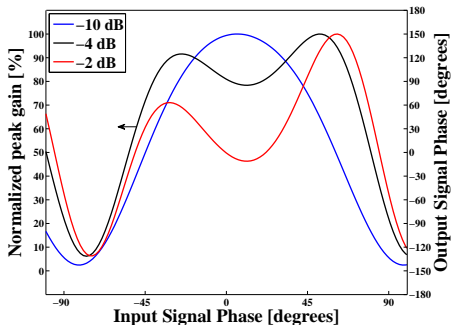
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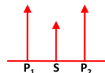
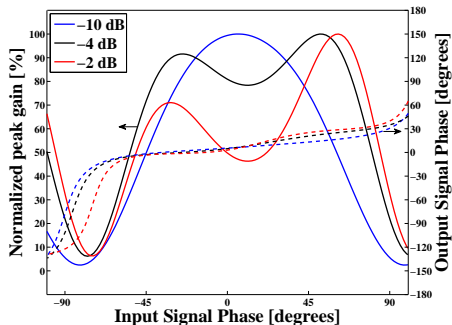
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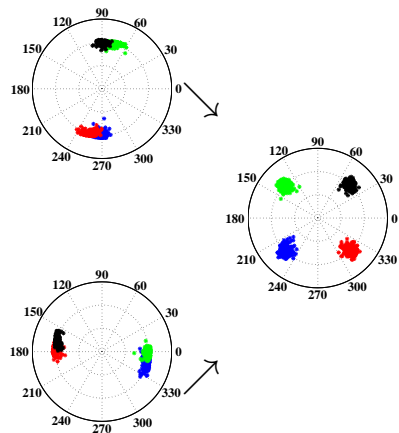
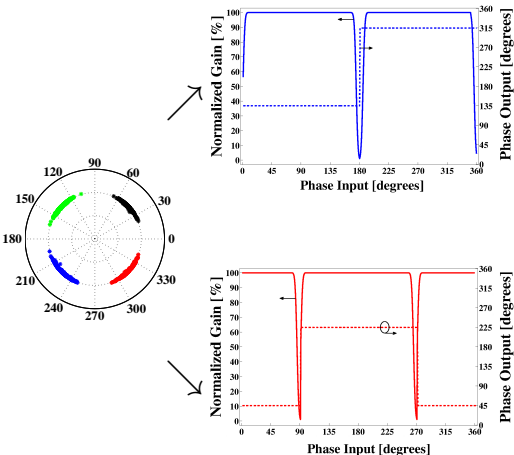
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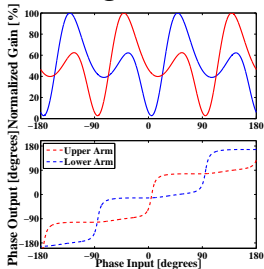
A 180° relative phase shift between the pumps shifts gain and phase profiles

Saturation and Interference

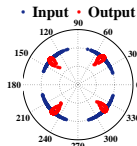
F. Da Ros, *IPC* (2011), M.M.3

Optimized Trends

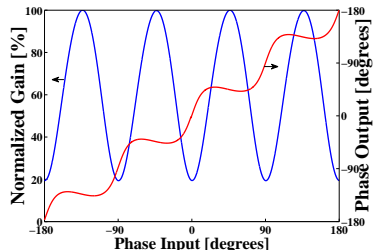
Single Arms



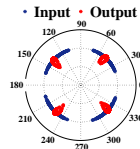
$R_s = 28$ Gbaud



Overall



$R_s = 40$ Gbaud



F. Da Ros, *IPC* (2011), M.M.3

Conclusions

- ▶ Fiber optic parametric amplifiers not only provide high, wide and flat gain at arbitrary wavelength but also show a strong potential for all-optical signal processing.
- ▶ Two of the most promising properties that can be exploited are saturation and phase sensitive amplification.
- ▶ Saturation in FOPAs enables to reduce the amplitude noise on optical signal regardless of the bitrate.
- ▶ Phase sensitive amplification allows reducing phase noise for phase modulated signals.
- ▶ Phase sensitive amplification in the saturated regime leads the way towards advanced modulation formats regeneration.

Questions



Thank you for the attention.